VITEEE 2010 Question Paper Vellore Institute of Technology Engineering Entrance Examination

SOLVED PAPER

2010

PART - I (PHYSICS)

- A straight wire carrying current i is turned into a circular loop. If the magnitude of magnetic moment associated with it in MKS unit is M, the length of wire will be

- (d) <u>M</u>
- The ratio of the amounts of heat developed in the four arms of a balance Wheatstone bridge, when the arms have resistances P=100
 - Q=10 , R=300
- and S=30
- respectively is
- (a) 3:30:1:10

- (b) 30:3:10:1
- (c) 30:10:1:3
- (d) 30:1:3:10
- An electric kettle takes 4 A current at 220V. How much time will it take to boil 1 kg of water from temperature 20 °C? The temperature of boiling water is 100°C.
 - (a) 12.6 min
- (b)4.2 min
- (c) 6.3 min
- (d)8.4 min
- Magnetic field at the centre of a circular loop of area A is B. The magnetic moment of the loop will 8.
 - (a)

- In Young's double slit experiment, the spacing between the slits is d and wavelength of light used is 6000 Å. If the angular width of a fringe formed on a distance screen is 1° , then value of dis
 - (a) 1 mm
- (b)0.05 mm
- 0.03 mm
- (d)0.01 mm

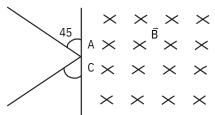
- An electric dipole consists of two opposite charges of magnitude $q = 1 \times 10 - 6$ C separated by 2.0 cm. The dipole is placed in an external field of 1×105 NC-1. What maximum torque does the field exert on the dipole? How much work must an external agent do to turn the dipole end to end, starting from position of alignment (= 0°)?
 - (b) $-2 \times 10 3$ N-m, -4×103 J
 - (c) 4×103 N-m, $2 \times 10 3$ J
 - (d) $2 \times 10-3$ N-m, $4 \times 10-3$ J
- The electron of hydrogen atom is considered to be revolving round a proton in circular orbit of radius h2/me2 with velocity e2/h, where h=/2. The current *i* is
 - (a) $\frac{4^{2}\text{me5}}{2}$ (b) $\frac{4^{2}\text{me5}}{3}$
 - (c) $\frac{4^{-2}\text{m2e2}}{3}$ (d) $\frac{4^{-2}\text{m2e5}}{3}$

In a double slit experiment, 5th dark fringe is formed opposite to one of the slits, the wavelength of light is

- d2 (a)
- d2

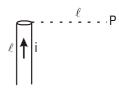
- Which of the following rays is emitted by a human body?
 - (a) X-rays
- (b)UV rays
- (c) Visible rays
- (d)IR rays

10. A proton of mass 1.67 × 10-27kg enters a 15. A small coil is introduced between the poles of uniform magnetic field 1T of at point A shown in figure with a speed of 107 ms-1.



The magnetic field is directed normal to the plane of paper downwards. The proton emerges out of the magnetic field at point C, then the Aletange the value of angle will respectively be

- (a) 0.7 m, 45
- (b)0.7 m, 90
- (c) 0.14 m, 90
- (d)0.14 m, 45
- A neutral water molecule (£0) in its vapour state 17. has an electric dipole moment of magnitude 6.4×10-30C-m. How far apart are the molecules centres of positive and negative
 - charges?
- (b)4 mm
- (c) 4m
- (d)4 pm
- 12. Figure shows a straight wire length *l* carrying current i. The magnitude of magnetic field produced by the current at point P is



- 13. Zener diode is used for
 - (a) producing oscillations in an oscillator
 - (b) amplification
 - (c) stabilisation
 - (d) rectification
- 14. Two light sources are said to be coherent if they are obtained from
 - two independent point sources emitting
 - light of the same wavelength (c)
 - a single point source (d)
 - a wide source

two ordinary bulbs emitting light of different wavelengths

- an electromagnet so that its axis coincides with the magnetic field direction. The number of turns is n and the cross-sectional area of the coil is A. When the coil turns through 180° about its diameter, the charge flowing through the coil is Q. The total resistance of the circuit is R. What is the magnitude of the magnetic induction?
- (c) 2RA
- (d) $\frac{2nA}{}$
- 16. The attenuation in optical fibre is mainly due to
 - albo)scorpttering
 - neither absorption nor scattering
 - (d) Both (a) and (b)
- An arc of radius r carries charge. The linear density of charge is and the arc subtends an

angle $\frac{1}{3}$ at the centre. What is electric potential at the centre?

- (c)
- 18. Sinusoidal carrier voltage of frequency 1.5 MHz and amplitude 50 V is amplitude modulated by sinusoidal voltage of frequency 10 kHz producing 50% modulation. The lower and upper side-band frequencies in kHz are
 - 1490, 1510
- (b) 1510, 1490
- (c) 1490'1510
- (d) <u>1510</u>'1490
- 19. and 100 resistors are connected in series. This connection is connected with a battery of 2.4 V. When a voltmeter of 100 resistance is connected across 100 resistor, then the reading of the voltmeter will be
 - (a) 1.6V
- (b) 1.0V
- (c) 1.2V
- (d) 2.0V
- 20. In space charge limited region, the plate current in a diode is 10 mA for plate voltage 150V. If the plate voltagte is increased to 600V, then the plate current will be
 - 10 mA (a)
- (b)40 mA
- 80 mA
- (d)160 mA

21.	stglikteo fan	pahvoetloenseetihisitiive

surface and electrons are ejected with kinetic energy E. If the kinetic energy is to be increased to 2E, the wavelength must be changed to wher

(a) (b) 2

(d) (c) 2

22. The maximum velocity of electrons emitted from a metal surface is v, when frequency of light falling on it is f. The maximum velocity when frequency becomes 4f is

(a) 2v

(b) > 2v

(c) < 2v

(d)between 2v and 4v

23. The collector plate in an experiment on photoelectric effect is kept vertically above the emitter plate. Light source is put on and a saturation photo-current is recorded. An electric field is switched on which has a vertically downward direction, then

- the photo-current will increase
- the kinetic energy of the electrons will
- increase

the stopping potential will decrease the threshold wavelength will increase

24. A cylindrical conductor of radius R carries a current i. The value of magnetic field at a point

which is $\frac{R}{A}$ distance inside from the surface is

10 T. The value of magnetic field at point which is 4R distance outside from the surface

(d) $\frac{1}{3}$ T

25. The power of a thin convex lens (ang= 1.5) is

5.0 D. When it is placed in a liquid of refractive and then it behaves as a concave lens of focal length 100cm. The refractive index of the liquid anl will be

(a) 5/3

(b) 4/3

 $\sqrt{3}$ (c)

(d) 5/4

26. Find the value of magnetic field between plates of capacitor at a distance 1m from centre, where electric field varies by 1010 V/m per second.

(a) 5.56×10-8T

(b) 5.56×10-3T

(c) 5.56 T

(d)5.55T

27. Using an AC voltmeter the potential difference in the electrical line in a house is read to be 234V. If line frequency is known to be 50 cycles/s, the equation for the line voltage is

(a) V=165sin (100 t)

(b) V=331sin (100 t)

(c) V=220sin (100 t)

(d) V=440sin (100 t)

²⁸. There are a 25W – 220 V bulb and a 100W–220V line. Which eletric bulb will glow more brightly?

28W bulb

(1b) OW bulb

Both will have equal incadescene

(th)ither 25 W nor 100 W bulb will give light

29. Silver has a work function of 4.7 eV. When ultraviolet light of wavelength 100 nm is incident upon it, potential of 7.7 V is required to stop photoelectrons from reaching the collector plate. The potential required to stop electrons when light of wavelength 200 nm is incident upon silver

(a) 1.5V

(b) 1.85V

(c) 1.95V

(d) 2.37V

30. Two particles X and Y having equal charges, after being accelerated through the same potential difference, enter a region of uniform magnetic field Raspostively dineviation of the sasiofix and Y

is

(a) $(R/R 2)^2$

(c) (R/R 2)

31. According to the Bohr's theory of hydrogen atom, the speed of the electron, energy and the radius of its orbit vary with the principal quantum number n, respectively, as

(a) $\frac{1}{n}, \frac{1}{n^2}, n^2$ (b) $\frac{1}{n}, n^2, \frac{1}{n^2}$

(c) $n^2, \frac{1}{n^2}, n^2$ (d) $n, \frac{1}{n^2}, \frac{1}{n^2}$

32. In the hydrogen atom, the electron is making

 6.6×1015 rps. If the radius of orbit is $0.53 \times 10-10$ m. then magnetic field produced at the centre of the orbit is

(1a2ln⊤

(b) 12.5T

(C)4T

(d) 0.14T

- 33. Two identical light sources \$ 1 and \$2 emit light of same wavelength. These light rays will of same wavelength exhibit interference if
 - (a) (bt)he(ir)p(ntb)sendifflentemelsidgenain oNthetetatone bridgeheliophassessaure objetní budiedresnistaurde, the knowtheia. bight tine en sitile sovermaire sost at a test are interdhæingleghtTimeænsitiessodeængeerdinsdomly
- 34.
- (a) end correction
- (b) index error
- (c) due to temperature effect
- (d) random error
- 35. A fish, looking up through the water, sees the outside world contained in a circular horizon. If the refractive index of water is 4/3 and the fish is 12cm below the surface of water, the radius of the circle in centimetre is

- (d) 12 3
- 36. Radio waves diffract around building althrough light waves do not. The reason is that radio waves
 - (a) travel with speed larger than c
 - (b) have much larger wavelength then light
 - (c) carry news
 - (d) are not electromagnetic waves
- 37. In the Bohr model of a hydrogen atom, the centripetal force is furnished by the coulomb attraction between the proton and the electron. If a 0 is the radius of the ground state orbit, η js
 - the mass and e is charge on the electron and the vacuum permittivity, the speed of the electron

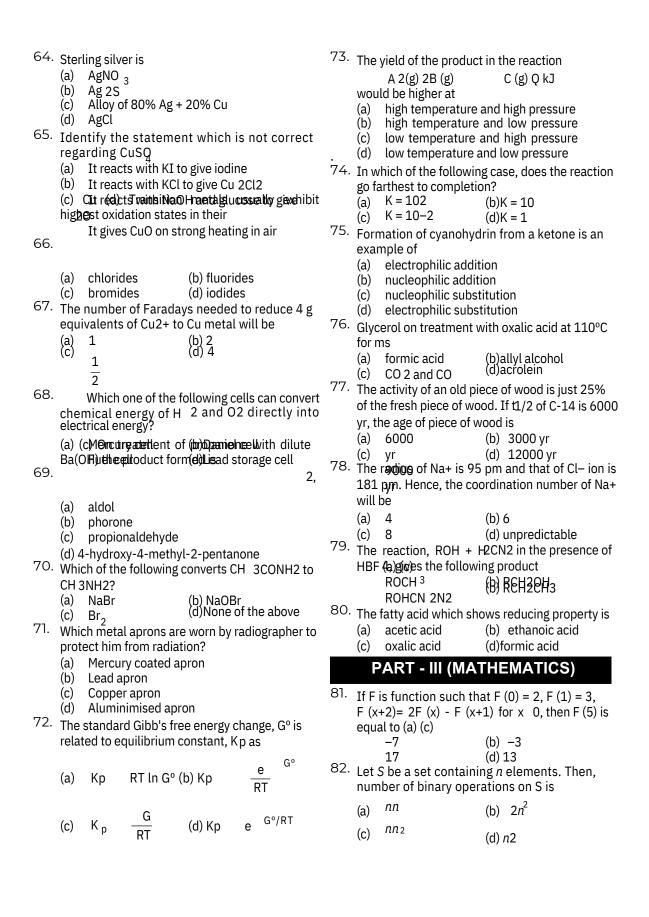
- 38. A potential difference of 2V is applied between the opposite faces of a Ge crystal plate of area 1 cm2 and thickness 0.5 mm. If the concentration of electrons in Ge is 2×1019/m2 and mobilities of electrons and holes are 0.36 m2V-1s-1 and 0.14 m2V-1s-1 respectively, then the current flowing through the plate will be
 - (a) 0.25
- (b)0.45 A
- (c) Α
- (d)0.64 A
- 0.56
- (c)
- (b)s-1 mol L-1
- (d)s s-1 mol-2 L2

- ^{39.} An AM wave has 1800 W of total power content. For 100% modulation the carrier should have power content equal to (a) (c)
 - Two light cays having the sand wallength (d)1600 W
- 40. in 1500
 - vacuum are in phase initially. Then the first ray travels a path i 1 through a medium of refr index n 2 through a medium of refractive length *l*
 - *n*2. The two waves are then combined to observe interference. The phase difference between the two waves is
 - *l*2 *l*1
- (b) $\frac{2}{n}$ n1/2 n2/1
- $\frac{2}{m_2 l_2} n_1 l_1$

PART - II (CHEMISTRY)

- 41. The correct formula of the complex tetraammineaquachlorocobalt (III) chloride is
 - [Cl(H 2O) (NH3)4 Co] Cl
 - (b) [CoCl(H 30)(NH3)4] E
 - (c) [Co (NH
 - (d) [CoCl (H 2O) (NH3)4] Cl2
- 42. The equivalent conductance at infinite dilution of a weak acid such as HF
 - can be determined by extrapolation of measurements on dilute solutions of HCl. HBr and HI
 - (b) can be determined by measurement on very dilute HF solutions
 - can best be determined from measurements on dilute solutions of NaF, NaCl and HCl
 - is an undefined quantity
- Alc oh o lic 43. C2H5I CCI4
 - The product 'A' is
 - (a) succinic acid (b)melonic acid
 - (d)maleic acid (c) oxalic acid
 - Fooduretaction of type A + B observed that doubling concentration of A causes the reaction rate to be four times as great, but doubling amount of B does not affect the rate. The unit of rate constant is
 - (a) s-1 s-1 mol-1 L

45. 46.	A chemical reaction was carried out at 320 K and 300 K. The rate constants were found to be k 2 respectively. Then and k 2 4 k 1 k 2 2 k 1 k 2 2 k 1 k 2 2 k 1 k 1 k	56.	exhibit which type of isomerism? (a) Geometrical (b)Optical
47.	(a) (c) CWBICH of the follow) ncg প্র ফেচ্চাঞ্চ colour in Victor CM প্র কেচ্ছাঞ্চ (a)(d) (CH3) 3 COH (c)	57.	(c) Linkage (d) Ionisation Which of the following compounds is not colou r ed? (a) Na2[Cu(Cl4] (h) Na[Ed(Cl)4]
	n-propyl alcohol (b) Isopropyl alcohol tert-butyl alcohol (d) sec-butyl alcohol Enthalpy of a compound is equal to its (a) heat of combustion(b)heat of formation (c) heat of reaction (d) heat of solution For which one of the following reactions will there be a positive S? (a) H2O (g) H2O(l)		(a) Na2[Cu(Cl4] (b) Na[Fe(CN)6] Which of the following is a Gattermann aldehyde synthesis? (a) COCI H2/Pd BaSO 4 CHO (b) H+CO+HCI
	(b) H2 I2 2HI		AICI3 CHO
	(c) CaCO3(s) CaO(s) CO2(g)		CHO
50.	(d) N2(g) 3H2(g) 2NH3(g) Across the lanthanide series, the basicity of the		(c) + HCl + HCN
	lanthanide hydroxides (a) increases decreases first (b) increases and then decreases first (c) decreases and then increases		(i) Anhy.AlCl 3 CHO
51.	(d) When p-nitrobromobenzene reacts with sodium ethoxide, the product obtained is	59.	(d) CH ₃ Cro2Cl ₂ CHO Aldol is
52.53.	(a) p-nitroanisole (b) ethyl phenyl ether (c) p-nitrophenetole (d) no reaction occurs A radioactive element X emits 3, 1 and 1-particles and forms76Y ²³⁵ . Element X is (a) 81X247 (b) 80X ²⁴⁷ (c) 81X246 (d) 80X ²⁴⁶ For the reaction,		(a) -hydroxybutyraldehyde (b) -hydroxybutanal (c) -hydroxypropanal (d) None of the above Nitrobenzene can be converted into azobenzene by reduction with
	2A(g) B2(g) 2AB2(g) the equilibrium constant, KP at $^3A(g)K_1i_1/_2B_2T_0e$ value of K p for AB2 (g)	61.	(a) Zn, NH 4Cl, (b) Zn/NaOH, CH 3OH (c) Zn/NaOH (d) LiAlH 4, ether The one which is least basic is
54. 55.	is (a) 8 (b) 0.25 (c) 0.125 (d) 32 Frenkel defect is generally observed in (a) AgBr (b) AgI (c) ZnS (d)All of the above Most crystals show good cleavage because their atoms, ions or molecules are (a) weakly bonded together (b) strongly bonded together	62. 63.	(a) NH ³ (b) (cH5NH2) (c) (C 6H5)3N (c) (C 6H5)3N (coordination number of Ni in [Ni(CO)]4 ₄₃ is (a) 3 (b) 6 (c) 4 (d) 5 (d) 5 (e) 4 (d) 5 (e) 5 (e) 4 (f) 5 (e) 6 (f)



	(a) 55 × 39 (c) 45 × 39	(b) 55 × 36 (d) 45 × 36	
84.	The number of solut $\sin(ex) = 5x + 5 - x$, is	ions of the equation	
85.	(a) 0 (c) 2	(b) 1 (d)infinitely many a, b, c, d are in GP, then x,	
86.	(a) AP (c) HP If z satisfies the equation	(b)G P (d)None of these on $ z -z = 1+2i$, then z is	93
	(a) $\frac{3}{2} + 2i$	(b) $\frac{3}{2} - 2i$	
	(c) $2 - \frac{3}{2}i$	(d) $2 + \frac{3}{2}i$	
87.	If $z = \frac{1}{1} \frac{i\sqrt{3}}{\sqrt{3}}$, then arg	ξ (z) is	94
	(a) 60 (c) 240	(b) 120 (d) 300	
88.	If $f(x) = \sqrt{\log_{10} x^2}$. The	e set of all values of <i>x</i> for	95
	which $f(x)$ is real, is (a) $[-1, 1]$ (c) $(- , -1]$ For what values of m can approximate $[-1, -1]$	(b) [1,] (d) (- ,-1] [1,) an the expression	0.0
	(a) 0	(b) 1	96
90.	matrix, then det (B-1Al	D) 15 Equal to	
91.	(a) det (A-1) (c) det (A) If f (x), g(x) and h (x) ard degree 2 and	(b)det (B-1) (d)det (B)	
	(x) $f'(x) g(x)$ f''(x) g'(x) f'''(x) g''(x)	h(x) h'(x) h'' (x)	97

then (x) is a polynomial of degree

(b) 3 (d)atmost 3

(a) 2 (c) 0

83. The numerically greatest term in the expansion

of (3-5x)11 when $x = \frac{1}{5}$, is

92. The chances of defective screws in three boxes A, B, C are $\frac{1}{5}$, $\frac{1}{6}$, $\frac{1}{7}$ respectively. A box is selected at random and a screw drawn from it at random is found to be defective. Then, the probability that it came from box A, is

- (a) $\frac{1}{6}$ (b) $\frac{1}{15}$ (c) $\frac{2}{7}$ (d) $\frac{42}{107}$
- 93. The value of $\frac{\cos}{1 \sin}$ is equal to
 - (a) $\tan \frac{\pi}{2} = \frac{\pi}{4}$ (b) $\tan \frac{\pi}{4} = \frac{\pi}{2}$
 - (c) $\tan \frac{\pi}{4} = \frac{\pi}{2}$ (d) $\tan \frac{\pi}{4} = \frac{\pi}{2}$
- 94. If 3sin 5cos 5, then the value of 5 sin 3 cos is equal to
 (a) 5 (b) 3
 (c) 4 (d)None of these
- 95. The principal value of $\sin \frac{1}{6} \sin \frac{5}{6}$ is
 - (a) $\frac{5}{6}$
 - (c) $\frac{7}{6}$ (d) None of these

 A rod of length l slides with its ends on two perpendicular lines. Then, the locus of its mid point is

- (a) $x^2 y^2 \frac{l^2}{4}$ (b) $x^2 y^2 \frac{l^2}{2}$
- (c) x^2 y^2 $\frac{l^2}{4}$ (d) None of these
- 97. The equation of straight line through the intersection of line 2x + y = 1 and 3x + 2y = 5 and passing through the origin is
 (a) 7x + 3y = 0 (b) 7x y = 0(c) 3x + 2y = 0 (d) x + y = 0
- 98. The line joining (5,0) to (10 cos , 10 sin) is divided internally in the ratio 2:3 at P. If varies, then the locus of P is

- (a) a straight line
- (b) a pair of straight lines
- (c) a circle
- (d) None of the above
- 99. If 2x + y + k = 0 is a normal to the parabola y2 = -8x, then the value of k, is
- (a) 8 (c) 24
- 100. $\lim_{n} \frac{1}{1.2} \frac{1}{2.3} \frac{1}{3.4} \dots \frac{1}{n(n-1)}$ is equal

- (a) 1 (b) -1 (c) 0 (d)None of these 101. The condition that the line lx + my = 1 may be normal to the curve $y2 = 4\alpha x$, is

 - (a) αl^3 $2\alpha l^2$ m^2 (b) α^2 $2\alpha lm^3$ m^2 (c) αl^3 m^2 m^3 (d) l^3 $2\alpha lm^2$ m^2
- 102. If f(x)dx = 2af(x), then $f(x)^2 dx$ is equal to
 - (a) $\frac{1}{2} f(x)^2$ (b) $\frac{1}{f(x)} 3$
 - (c) $\frac{f(x)^{-3}}{2}$ (d) $f(x)^{-2}$
- 103. $\sin^{-1} \frac{(2x-2)}{\sqrt{4x^2-8x-13}} dx$ is equal to
 - (a) $(x+1) \tan^{-1} \frac{2x-2}{3}$ $\frac{3}{4} \log \frac{4x^2 + 8x + 13}{9}$ c

 - (c) $(x \ 1)\tan^{-1} \frac{2x-2}{3} = \frac{3}{2}\log 4x^2 = 8x + 13 = c$
- (d) $\frac{3}{2}x$ 1tan 1 $\frac{2x}{3}$ $\frac{2}{4}\log 4x$ 2 8x 13 c 104. If the equation of an elipse is
- $3x_2$ $2y^2$ 6x 8y 5 0, then which of the following are true?
 - (a) e $\frac{1}{\sqrt{3}}$

 - (c) centre is (-1, 2)
 - (d) foci are (-1, 1) and (-1, 3) All of the above

- ¹⁰⁵. The equation of the common tangents to the two
 - hyperbolas $\frac{x^2}{a}$ $\frac{y^2}{b^2}$ 1 and $\frac{y^2}{a}$ $\frac{x^2}{b}$ 1, are

 - (a) $y = \begin{pmatrix} x & \sqrt{b^2 & a^2} \\ (b) & y = \begin{pmatrix} x & \sqrt{a_2 & b_2} \\ x & \sqrt{a_2 & b_2} \end{pmatrix}$ (c) $y = \begin{pmatrix} x & \sqrt{a^2 & b} \\ (d) & y = \begin{pmatrix} x & a \end{pmatrix}$ Domain of the function f(x)

- 106.
 - $\frac{1}{2}$, $\frac{1}{2}$ (b) $\frac{1}{2}$ $\frac{1}{2}$ {1}
 - (c) $\frac{1}{2}, \frac{1}{2}$
- (d)None of these
- 107. Range of the function $y = \sin \frac{1}{1} \frac{x^2}{1}$, is
 - (a) $0, \frac{1}{2}$ (b) $0, \frac{1}{2}$
 - (c) $0,\frac{1}{2}$ (d) $0,\frac{1}{2}$
- 108. If $x = \sec \cos y \sec n \cos n$, then
 - $(x^2 4) \frac{dy}{dx}$ is equal to
- (a) n2(y2 4) (b) $n2(4 y^2)$

 - (c) $n^2(y^2 4)$ (d) None of these
- (b) $\frac{3}{2} \tan^{-1} \frac{2x-2}{3} \frac{3}{4} \log \frac{4x^2 + 8x + 13}{9} = c$ $\frac{d}{d} = \frac{d}{d} = \frac{d}{$ equal to

 - (a) $\frac{y}{y^2} \frac{x}{2x}$ (b) $\frac{y^3}{2v^2} \frac{x}{2xv} \frac{x}{1}$
 - (c) $\frac{y^3}{2y^2} \frac{x}{x}$
- (d)None of these
- 110. If $\frac{x}{1|t|\sqrt{t-1}} = \frac{d}{6}$, then x can be equal to
 - (a) $\frac{2^{t}}{\sqrt{2}}$
- (b) $\sqrt{3}$
- (d)None of these

111. The area bounded by the curve $y=\sin x$, $x=\sin x$ and the lines $x=\sin x$, is	(a) $\frac{3}{2}$ (b) $\frac{9}{2}$
(a) 2 sq unit (b) 1 sq unit (c) 4 sq unit (d)None of these 112. The degree of the differential equation of all curves having normal of constant length c is (a) 1 (b) 3 (c) 4 (d)None of these 113. If a 2i^2j^3k^, b i^2j^k^and c 3i^j^,	(c) $\frac{2}{9}$ (d) $\frac{3}{2}$ 117. The two curves y = 3x and y = 5x intersect at an angle (a) $\tan 1 \frac{\log 3 \log 5}{1 \log 3 \log 5}$
then a tb is perpendicular to c, if t is equal to (a) 2 (b) 4 (c) 6 (d) 8 114. The distance between the line	(b) tan 1
(a) $\frac{10}{3}$ (b) $\frac{10}{\sqrt{3}}$ (c) $\frac{10}{3\sqrt{3}}$ (d) $\frac{10}{9}$ (15. The equation of sphere concentric with the sphere x2 y2 z2 4x 6y 8z 5 0and which passes through the origin, is (a) x2 y2 z2 4x 6y 8z 0 (b) x2 y2 z2 6y 8z 0	118. The equation $\begin{array}{cccccccccccccccccccccccccccccccccccc$
(c) x^2 y^2 z^2 0 (d) x^2 y^2 z^2 0 116. If the lines $x = 1$ $y = 1$ $z = 1$ 0 $\frac{x}{1}$ $\frac{y}{2}$ $\frac{x}{1}$ intersect, then the value of k, is	points. Then, the angle between BA and BC is (a) $\tan^{-1}\frac{2}{3}$ (b) $\tan^{-1}\frac{3}{2}$ (c) $\tan^{-1}\frac{1}{3}$ (d) $\tan^{-1}\frac{1}{2}$

SOLUTION S

PART - I (PHYSICS)

1. (b) Here, length l = 2r or r $\frac{1}{2}$

Area of circular loop A r^2 Magnetic moment $M = iA = i r^2$

- $M \quad i \quad \frac{l^2}{4^2}$ $l \quad \sqrt{\frac{4 M}{i}}$
- 2. (b) Current through arms of resistances *P* and *Q* in series

 $i_1 = \frac{i - 330}{330 - 110} = \frac{3}{4}i$

Here *i* = total current Similarly, current through arms of resistances *R* and *S* in series

$$i_2 = \frac{i}{330} \frac{110}{110} = \frac{1}{4}i$$

Heat developed per second = i2RRatio of heat developed per sec

$$H_P: H_Q: H_R: H_S$$
 $\frac{3}{4}i$ 100: $\frac{3}{4}i^2$ 10:

$$\frac{1}{4}i^{2}$$
 300: $\frac{1}{4}i^{2}$ 30

= 30:3:10:1

3. (c) Heat taken by water when its temperature changes from 20°C to 100°C.

H1 mc(2 1) 1000 1 (100 20) cal= $1000 \times 80 \times 4.2 J$

Heat produced in time *t* due to current in resi stor

 $H2 = Vit = 220 \times 4 \times t$ J According to question, $220 \times 4 \times t = 1000 \times 80 \times 4.2$

$$t = \frac{1000 \ 80 \ 4.2}{220 \ 4} = 381.8s = 6.3 \text{ min}$$

4. (d)Magnetic field,

 $B \quad \frac{0}{4} \frac{2i}{r} \quad \frac{0i}{2r} \text{ or } i \quad \frac{2Br}{0}$

Also,
$$A = r2$$
 or r $\frac{A}{r}$

Magnetic moment,

$$M = iA = \frac{2Br}{0}A$$

$$\frac{2BA}{0} = \frac{A}{0}^{1/2} = \frac{2BA^{3/2}}{0.1/2}$$

5. (c) Here, $\sin \frac{Y}{D}$

Angular fringe width 0 = (width Y =)

$$0 \quad \frac{D}{D} \quad \frac{D}{d} \quad \frac{1}{D} \quad \frac{d}{d}$$

(d) Here, charge $q = \pm 1 \times 10-6$ C 2a = 2.0 cm $= 2.0 \times 10-2$ m $E = 1 \times 105$ NC-1, max = ? W = ?, $1 = 0^{\circ}$, $2 = 180^{\circ}$ $\max = pE = q(2a)E$ $= 1 \times 10-6 \times 2.0 \times 10-2 \times 1 \times 105$ $= 2 \times 10-3$ Nm

> W $pE(\cos^{-1}\cos 2)$ = $(10-6 \times 2 \times 10-2)(105) (\cos 0^{\circ} - \cos 180^{\circ})$ = $4 \times 10-3 \text{ J}$

7. (b) Current, $i \frac{e}{t} \frac{e}{2 r/v} \frac{ev}{2 r}$

Here, $v = \frac{e^2}{m}$ and $r = \frac{2}{me^2}$

$$i \frac{e(e^{2}/)}{2(\frac{2}{me2})} \frac{e^{3} me^{2}}{2^{3}} \frac{me^{5}}{2^{3}}$$

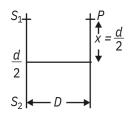
$$\frac{h}{2} \text{ (given)}$$

$$i \frac{me5}{2 \frac{h}{2}} \frac{4^{2}me5}{h3}$$

8. (d) For dark fringe,

$$\frac{xd}{D}$$
 (2m 1) $\frac{}{2}$

Here, m = 5, $x = \frac{d}{2}$



$$\frac{d}{2} \frac{d}{D}$$
 (2 5 1) $\frac{}{2}$

or
$$\frac{^2d}{D}$$
 9

Wavelength, $\frac{d^2}{9l}$

- 9. (d) Generally, temperature of human body is 37°C (= 98.4°F) corresponding to which IR and microwave radiations are emitted from the human body.
- 10. (d) The path of moving proton in a normal magnetic field is circular. If *r* is the radius of the circular path, then from the figure, From the symmetry of figure, the angle = 45°.

AC 2rcos45 2r
$$\frac{1}{\sqrt{2}}$$
 $\sqrt{2}r$...(1)

As
$$Bqv = \frac{mv^2}{r} \text{ or } r = \frac{mv}{Bq}$$

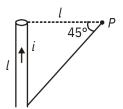
AC
$$\frac{\sqrt{2}mv}{Bq}$$
 $\frac{\sqrt{2} \ 1.67 \ 10^{\ 27} \ 107}{1 \ 1.6 \ 10^{\ 19}}$
= 0.14 m

11. (d) In a neutral water molecule, there are 10 electrons and 10 protons. So, its dipole moment p = q (2l) = 10 e (2l) Hence length of the dipole = distance between centres of positive and negative charges

$$2l \quad \frac{p}{10e} \quad \frac{6.4 \, 10^{-30}}{10 \, 1.6 \, 10^{-19}} \quad 4 \quad 10^{-12} \, \mathrm{m}$$

12. (c) Magnetic field due to finite length of a wire,

$$B = \frac{0}{4} \frac{i}{r} (\sin_{1} \sin_{2})$$



Here, $1 = 0^{\circ}, = 45^{\circ}$

$$B \quad \frac{0}{4} \quad \frac{i}{r} (\sin 0 \quad \sin 45) \quad \frac{0}{4} \quad \frac{i}{\sqrt{2}l}$$

$$B \quad \frac{\sqrt{2} \quad 0i}{8 \quad l}$$

- 13. (c) Zener diode is suitable for voltage regulating purpose. It is used as voltage stabilizer in many applications in electronics. If two
- L4. (a) independent sources emitting light of the same wavelength are said to be coh er en t . Induced charge
- 15. (d)

$$Q = \frac{nBA}{R} (\cos_{2} \cos_{1})$$

$$\frac{nBA}{R} (\cos 180 \cos 0)$$

$$B = \frac{QR}{2nA}$$

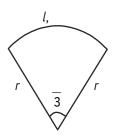
16. (d) From an optical fibre due to absorption or light leaving the fibre area resulting scattering of light sideways by impurities in the glass fibre. And due to this reason a very small part of light energy is lost.

17. (c) Length of the arc =
$$r \frac{r}{3}$$

Charge on the arc =
$$\frac{r}{3}$$

Potential at centre v

$$\frac{kq}{r}$$
 $\frac{1}{4_0}$ $\frac{r}{3r}$ $\frac{1}{12_0}$



18. (a) Here
$$d = 1.5$$
 MHz = 1500 kHz, $fm = 10$ kHz
Lower side-band frequency
= $fc - fm = 1500$ kHz - 10 kHz = 1490 kHz
Upper side-band frequency
= $fc + fm = 1500$ kHz + 10 kHz = 1510 kHz

19. (c) Equivalent resistance of the circuit Req = 100

Current through the circuit,
$$i = \frac{V}{R} = \frac{2.4}{100}$$
 A

Potential difference across combination of voltmeter and 100 resistance

$$\frac{2.4}{100}$$
 50 1.2V

Since the voltmeter and 100 resistance are in parallel, the voltmeter reads the same value i.e., 1.2 V. In space charge limited region, the plate

20. (c) limited region, the plate current is given by Child's law *ip KV3/2p*Th u s.

$$\frac{i_{\rho 2}}{i_{\rho 1}}$$
 $\frac{V_{\rho 2}}{V_{\rho 1}}^{3/2}$ $\frac{60}{0}^{3/2}$ $(4)^{3/2}$ 8 or, $i_{\rho 2}$ $i_{\rho 1}$ 8 1008 mA 80mA

21. (c) Here,
$$E \stackrel{hc}{=} W_0$$
 and $2E \stackrel{hc}{=} W0$

$$-- \frac{E \quad W}{2E \quad W0} \qquad \frac{1 \quad W0/E}{2 \quad W0/E}$$

Since
$$\frac{(1 \ W_0/E)}{(2 \ W_0/E)}$$
 $\frac{1}{2}$ So $\frac{1}{2}$

22. (b) According to Einstein's photoelectric equation,

$$E \quad W0 \quad \frac{1}{2} m v_{\text{max}}^2 \quad v \text{max} \quad \sqrt{\frac{2(hf \quad W0)}{m}}$$

If frequency becomes 4f then

$$v' = \sqrt{\frac{2(h + 4 f W0)}{m}} = 2\sqrt{\frac{2 + hf + \frac{W_0}{4}}{m}}$$

23. (b) In electric field photoelectron will experience force and accelerate opposite to the field so its KE increases (i.e., stopping potential will increase), no change in photoelectric current, and threshold wa velen g t h.

24. (b) Magnetic field inside the cyclindrical

conductor Bin
$$\begin{array}{c} 02ir \\ 4 & 2R \end{array}$$

(*R* = radius of cylinder and *r* = distance of observation point from axis of cylinder) Magnetic field outside the cylinder at a

distance r' from its axis, Bout $\frac{0}{4} \frac{2i}{r'}$

$$\frac{B_{\text{in}}}{B_{\text{out}}} \quad \frac{rr'}{R2} \quad \frac{10}{B_{\text{out}}} \quad \frac{R}{R2} \quad \frac{R}{4} \quad (R \quad 4R)$$

$$R2$$

$$B_{\text{out}} \quad \frac{8}{3}T$$

25. (a) By using lens maker's formula,

$$\frac{1}{f}$$
 (1) $\frac{1}{R_1}$ $\frac{1}{R_2}$ 5 (1.5 1) $\frac{2}{R}$...(i)

If a lens of refractive index g is immersed in a liquid of refractive index focal length in liquid

$$\frac{1}{f_l}$$
 ($_g$ 1) $\frac{1}{R}$ $\frac{1}{R_2}$

1 $\frac{1.5}{n}$ 1 $\frac{2}{R}$...(ii)

Dividing, (i) by (ii)
$$5 \frac{0.5n}{1. n}$$

7.5 5n 0.5n 5 4.5n
 $n \frac{7}{5} \frac{5}{3} \frac{5}{3}$ 5

26. (a) Magnet4c field

$$B = \frac{{}_{0}5_{0}}{2} \frac{rdE}{dt} = \frac{1}{9 \cdot 10^{16} \cdot 2} \cdot 10^{10}$$
$$= 5.56 \times 10 - 8 \text{ T}$$

27. (b) *E E*0sin *t*

Voltmeter read rms value

$$E_0$$
 $\sqrt{2}$ 234V 331V
and t 2 nt 2 50 t 100 t
Thus, the equation of the line voltage $E = 331 \sin{(100t)}$

28. (a) Power, $P = \frac{V2}{R}$, $R = \frac{V2}{P}$

$$R_1 = \frac{V^2}{R_1} = \frac{(220)^2}{25} = 1936$$

For the second bulb,

$$R_2 = \frac{V^2}{P_2} = \frac{(220)2}{100} = 484$$

Current in series combination is the same in the two bulbs,

$$i \quad \frac{V}{R_1 \quad R_2} \quad \frac{220}{1936 \quad 484} \quad \frac{220}{2420} \quad \frac{1}{11}A$$

If the actual powers in the two bulbs be P_1 and P2 then

$$P_1' \quad i2R_1 \quad \frac{1}{11}^2 \quad 1936 \ 16W$$

and
$$P'_{2}$$
 $i2R_{2}$ $\frac{1}{11}^{2}$ 484 4W

Since P'_{1} P'_{2} , so, 25 W bulb will glow more brightly.

29. (a) Given : = 100 nm = 1000 Å Energy corresponding to 1000 Å

$$\frac{12375}{1000}$$
 12.375 eV

Now, $7.7 = 12.375 -_{0}$ or 0 = 12.375 - 7.7 = 4.675 eV In the second case, Energy corresponding to 2000 Å

Now,
$$4.7 = 6.1875 - \frac{1}{0}$$

or $\frac{1}{0} = 6.1875 - 4.7 = 1.4875 \ 1.5 \ V$

30. (c) As we know, $\frac{1}{2}mv^2 \quad qV$ or $v \quad \sqrt{\frac{2qV}{m}}$

Centripetal force
$$\frac{mv2}{R}$$
 q B v

$$v = \frac{qBR}{m}$$

Hence,
$$\sqrt{\frac{2qV}{m}} \quad \frac{qBR}{m}$$
 or $R \quad \frac{2mV}{q}^{1/2} \quad \frac{1}{B}$

Here, V q and B are constants.

And,
$$\frac{m_1}{m_2} = \frac{R_1}{R_2}^2$$

- 31. (a) According to Bohr's theory of hydrogen atom,
 - (i) The speed of the electron in the nth orbit

$$V_n = \frac{1}{n4} \frac{e^2}{_0(h/2)}$$
 or $v_n = \frac{1}{n}$

(ii) The energy of the electron in the n th orbit

$$E_n = \frac{me^4}{8n2 \frac{2}{6}h2} = \frac{13.6}{n^2} eV \text{ or } E_n = \frac{1}{n^2}$$

(iii) The radius of the electron in the nth orbit

$$r_n = \frac{2}{n} \frac{2}{h_0 e^2} = n^2 a_0 \text{ or } r_n = n^2$$

where
$$a_0 = \frac{h2_0}{me} = 5.29 \, 10^{-11} \, \text{m}$$

32. (b) Current,
$$i = qv$$

$$B = \frac{0i}{2r} = \frac{0qv}{2r}$$

$$\frac{4 = 10.7 + 1.6 \cdot 10^{-19} + 6.6 \cdot 10^{-15}}{2 = 0.53 \cdot 10^{-10}}$$

$$\frac{2 = 1.6 + 6.6}{5.3} = 12.513T$$

- 33 (a) For interference phase difference must be constant.
- (a) To remove the error, resistance box and the unknown resistance must be interchanged and then the mean reading must be taken.
- 35. (c) Here, $\tan ic \frac{r}{h}$ or $h \tan ic$ or $h \frac{\sin i_c}{\cos i_c}$ or $h \frac{\sin i_c}{\sqrt{1 + \sin 2i_c}}$

But $\sin i_c = \frac{1}{2}$

$$r \quad h = \frac{1}{\sqrt{1 + \frac{1}{2}}} \quad \frac{h}{\sqrt{\frac{2}{1}}} \quad \frac{12}{\sqrt{\frac{16}{9}}} \quad 1$$

$$\frac{12\ 3}{\sqrt{7}}\ cm$$

- 36. (b) Diffraction takes places when the wavelength of waves is comparable with the size of the obstacle in path.
 Pradio > Plight
 Hence, radio waves are diffracted around building.
- 37. (c) Centripetal force = force of attraction of nucleus on electron.

$$\frac{mv2}{a_0} \quad \frac{1}{4}_{0} \quad \frac{e^2}{a_0^2} \quad v \quad \frac{e}{\sqrt{4}_{0}ma_0}$$

38. (d) As we know, conductivity ne(e h)2 1019 1.6 1019(0.36 + 0.14)
= 1.6 (m)-1

$$R = \frac{l}{A} \frac{l}{A} = \frac{0.5 \cdot 10^{3}}{1.6 \cdot 10^{4}} = \frac{25}{8}$$

$$i \frac{V}{R} = \frac{2}{25/8} = 0.64A$$

39. (b) Total power P_t P_c 1 $\frac{ma^2}{2}$ ma2 1

40. (b) Optical path for ray $1 = n_1 l_1$ Optical path for ray $2 = n_2 l_2$ Phase difference,

$$\frac{2}{n_1} \times \frac{2}{n_1} (n_{11} n_2 l_2)$$

PART - II (CHEMISTRY)

41. (d) The correct formula of the given complex is tetraammine aqua chlorocobalt (III) chloride H 20)(NH3)4]Cl2, because in it the oxidation number of Co is +3. While in rest other options O. No. of Co is +2 [CoCl (H = 20)(NH3)4]Cl2 $= x + (-1) + 0 + (0 \times 4) + (-1) = 0$

$$x + (-1) + 0 + (0 \times 4) + (-1) = 0$$

 $x - 3 = 0$ $x = +3$

42. (c) According to Kohlrausch's law, equivalent conductance at infinite dilution of HF,

43. (a) C 2 H 5 I Alc. KOH C 2 H 4 $_{\text{(dehydrohalogenation)}}^{\text{Alc. KOH}}$ C 2 H 4 $_{\text{CCl }_4}^{\text{Br}_2}$

44. (c) Let the initial rate be R and order with respect to A be x and B be y. Thus, rate law can be written as, rate, R = [A]x[B]y ...(i)

After doubling the concentration of A, rate becomes 4R,

$$4R = [2A]x [B]y$$
 ...(ii)
After doubling the concentration of B, rate remains R,
 $R = [A]x [2B]y$...(iii)

From Eq. (i) and (ii), we get

$$\frac{R}{4R} \quad \frac{1}{2}^{x} \quad \frac{1}{2}^{2} \quad \frac{1}{2}$$

So, x = 2From Eq. (i) and (iii), we get

$$\frac{R}{R}$$
 $\frac{1}{2}$ $\frac{1}{1}$ $\frac{1}{2}$

So, Y = 0 Hence, the rate law is, rate R = [A]2 [B]0 This clearly shows that the order of this reaction is 2 and for second order reaction units of rate constant are mol-1 Ls-1. As we know that for every 10° rise in

45. (c) temperature, rate constant, *k* becomes doubled. Hence, on rising the temperature 20°, the rate constant will be four times,

i.e.,
$$k1$$
 4 $k2$ $k2$ $\frac{1}{4}k1$ 0.25 $k1$

46. (c) The other name of methanol is carbinol. So, the formula of ethyl carbinol is

- 47. (a) In Victor Meyer's test, Red colour is given by primary alcohols (1°) (alcohols having CH 2OH). The structres of the given Alcohols are
 - (a) CH3CH2CH2OH prop}l alcohol (1°)

Hence, *n*-propyl alcohol is a 1° alcohol and gives red colour in Victor-Meyer's test.

- 48 (b) Heat of formation is equal to enthalpy of a
 - (c) compound.

S (entropy change) is the measure of randomness and thus in solid, liquid and gas, the order of entropy is

gas > liquid > solid

49

Thus, S is positive for the reaction given the specific forming gaseous CO 2.

- 50. (b)We know that basicity is depend on ionic character. So, as the ionic size of lanthanide decreases, the covalent character of their hydroxide increases. Hence, their basicity decreases.
- 51. **@**mmonly aryl halides do not take part in Williamson's synthesis, due to their high stability but due to the presence of strong electron withdrawing group like –NO

makes the C-X bond weaker and substitution of -Br takes place by -OR.

52. (a) The complete nuclear reaction is

$$_{z}X^{A}$$
 76 Y^{235} $3_{2}He^{4}$ $1e^{0}$ parti cle parti cle

particle

On observing the reaction, mass number of X' is

A = 235 + 12 + 0 = 247

On observing the reaction, atomic number of X' is

Z = 76 + 6 - 1 = 81

Hence, element 'X' is X247.

53. (b) For the given reaction, 2A(g) B2(g) 2AB2(g) the equilibrium constant,

$$K_{p} = \frac{p_{AB2}^{2}}{p_{A}^{2} p_{B2}}$$
 16 ...(i)

For the other given reaction,

$$AB2(g)$$
 $A(g)$ $\frac{1}{2}B2(g)$

The equilibrium constant,

$$K_p^1 = \frac{p_A p_{B_2}^{1/2}}{p_{AB_2}}$$
 ...(ii)

On squaring Eq. (ii), we obtain,

$$(K'_p)^2 = \frac{p_A^2 - p_{B2}}{p_{AB2}^2}$$
 ...(iii)

Now, from Eq. (i) and (iii), we obtain,

$$K_{p}.(K_{p})^{2}$$
 1 16. $(K_{p})^{2}$ 1 ($Kp = 16.0$)

$$(K'_p)$$
 $\frac{1}{16}^{1/2}$ K'_p $\frac{1}{4}$ 0.25

- 54. (d)When the size of cation is much smaller than the anion then frenkel defect is observed. Hence, AgBr, AgI and ZnS all exhibit Frenkel defect.
- 55. (dystals show good cleavage when, the constitutents are arranged in orderly pattern, i.e., in planes,
- 56. (an ionisation they give different ions

[Co(NH 3)4Cl2]NO2

[Co(NH 3)4Cl2] NO 2

[Co(NH 3)4ClNO2]Cl

 $[Co(NH3)4CINO_2]$ Cl

So, they show ionisation isomerism.

57. (c)We know that complex compound having no unpaired electron is colourless.

Among the given complexes, K4[Fe(CN)6] has no unpaired electron as CN- is a strong field ligand and causes pairing of electrons. So, it is colourless.

This is Gattermann aldehyde synthesis.

59. (a) Aldol is -hydroxybutyraldehyde (or 3-hydroxybutanal) i.e.

60. (b) Nitrobenzene can be converted into azobenzene, on reduction in the presence of Zn/NaOH in CH

NO2
$$\frac{\text{Zn/NaOH}}{\text{in CH 3OH}}$$

$$8[H]$$
N = N-

61. (c) Due to the presence of electron withdrawing group like Ph group decreases the electron density of nitrogen and hence, the lone pair of nitrogen are not available for donation.

So, (C 6H5)3N is least basic due to the presence of three electron withdrawing Ph(C 6H5) groups.

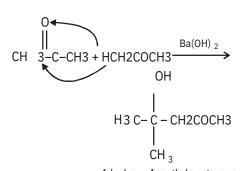
62. (b) Coordination number of Ni in [Ni(C2O4)3] is 6 because CO2 (oxalate) is a bidentate figand and each have two sites to coordinated with the central atom.

- 63. (b)Chlorophyll is rich source of Mg, the green pigment of plants.
- 64. (c) An alloy of 80% Ag and 20% other metals, usually copper is sterling silver.
- 65. (b) As CuSO 4 reacts with KI to give white precipitate of Cu does not react with KCl. Due to highest
- 66. (b) reduction potential of fluorine. Transition metals exhibit highest oxidation states in their fluoride.

Thus, to reduce 4 g equivalent of Cu2+ into Cu 4F are required.

68. (c) Fuel cell, which convert chemical energy 2, 02, CH4, etc, is converted into electric energy, e.g., H2–O2 fuel cell.

69. (d) In Aldol condensation propanone gives diacetone alcohol in presence of Ba(OH)₂



4-hydroxy-4-methyl pentanone-2 (diacetone alcohol)

- 70 (b) CH \wp ONH $_2$ NaOBr CHNJH $_2$ Na \wp CO $_3$
- . (b) Radiographer to protect themself from radiation worn lead apron.
- 71 (d) radiation worn lead apron. G° and K p are related as

 $G RT \ln K_{p}$

 $\ln K_p = \frac{G}{RT} = K_p = e^{G/RT}$

73. (c) $A2^{\frac{5}{6}}$) $2B(\mathring{g}$ C(g) QkJ Since, the reaction is exothermic, So, it is

favoured by low temperature.

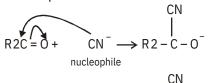
In addition, the number of moles of products is lesser than the number of moles of reactants, thus high pressure favours

74 (a) the forward reaction.

75

(b) Larger the value of K more the reaction moves towards completion.

As CN is a nucleophile. So it is an example of nucleophilic addition



$$\xrightarrow{H} R2 - C - C$$

77. (d) As we know that,

$$k = \frac{0.693}{t1/2} = \frac{0.693}{6000} = 1.155 \cdot 10^{-4}$$

$$t = \frac{2.303}{k} \log \frac{N0}{N} = \frac{2.303}{1.155 \cdot 10^{-4}} \log \frac{100}{25}$$

= 12000 yr (age of piece of wood)

78. (b) Radius of cation, $\frac{r}{r}$ Radius of anion, $\frac{95}{181}$ 0.525

As this value lies in between 0.414 - 0.732, thus, the coordination number of Na+ ion will be 6.

- 79 (a) ROHH C N_2 HBF4 ROCH 3 N2
- . (d) The compounds having –CHO group reduces Tollen's reagent, Fehling solution etc. Thus, formic acid (HCO/ OH) has reducing property.

PART - III (MATHEMATICS)

81. (d) $F(x 2) \times 2F(x F(x 1) \dots (i)$ Putting(Θ)0, we get F(2) F F(1) F(2) 2(2) 3{ F(0) 2, F(1) 3}

$$F(2) = 4 \ 3 \qquad F(2) = 1$$
Putting $x = 1$, in eq. (i), we get
$$F(3) = 2F(1) \qquad F(2)$$

$$= 2(3) = 1 \qquad \{ F(1) = 3, F(2) = 1 \}$$

$$F(3) = 5$$
Putting $x = 2$, in eq. (i), we get
$$F(4) = 2F(2) \qquad F(3)$$

$$= 2(1) = 5 \qquad \{ F(2) = 1, F(3) = 5 \}$$

$$F(4) = 3$$
Putting $x = 3$, in eq. (i), we get
$$F(5) = 2F(3) \qquad F(4)$$

$$= 2(5) = 3 \qquad \{ F(3) = 5, F(4) = 3 \}$$

$$F(5) = 13$$

82. (c) The number of binary operations on a set S having n elements in n^{n^2} .

83. (a)
$$(3 5x)^{11}$$
 $3111 5x^{11}$ 3

$$3111 -\frac{5}{2} -\frac{1}{1}^{11} x \frac{1}{5}$$

$$3111 \frac{1}{3}^{11}$$

Now,
$$r = \frac{|x|(n-1)}{|x|-1} = \frac{\begin{vmatrix} \frac{1}{3} & \frac{1}{3} & \frac{4}{3} \\ \frac{1}{3} & \frac{1}{3} & \frac{4}{3} \end{vmatrix}$$

Thanefore: 31)CH(Ath (74) terms are numerically greatest in the expansion of (3 - 5x)11. So, greatest term = T

$$3^{11} \begin{vmatrix} 1 & C 2(1)^9 & \frac{1}{3} \end{vmatrix}^2 = 31 \begin{vmatrix} 11110 \\ 11219 \end{vmatrix}$$

$$= 55 \times 39$$

and
$$T_4 = 31112(1)^8 = \frac{1}{3}^3$$

$$31 \begin{vmatrix} 11 & 10 & 9 \\ \hline 1.2.3 & \frac{1}{27} \end{vmatrix} \quad 55 \quad 39$$

Greatest term (numerically) = $T_{\frac{3}{3}}T = 55 \times 39$

$$= T_{3} = T_{4} = 55 \times 39$$

84. (a) We have, sin(ex)...(i) Let 5x = t, then eq. (i), reduces to

$$\sin(e^x)$$
 $t \frac{1}{t}$

$$\sin(e^x)$$
 $t = \frac{1}{t} + 2 + 2$

$$\sin{(\check{e})} \quad \sqrt{t} \quad \frac{1}{\sqrt{t}}^2 \quad 2$$

{
$$5x$$
 0, $\sqrt{5^x}$ \sqrt{t} exists}

$$sin(e^x)$$
 2

which is not possible as also sin1. Thus, given equation has no solution.

85. (c)
$$a^x$$
 by cz d^u

Let, ax by cz d^u k
 a $k1/, b$ $k1/, c$ $k1/, d$ $k1/$
...(i)

a, b, c, dare in GP.

$$\frac{1}{y} \quad \frac{1}{x} \quad \frac{1}{z} \quad \frac{1}{y} \quad \frac{1}{u} \quad \frac{1}{z}$$

$$\frac{1}{x}$$
, $\frac{1}{y}$, $\frac{1}{z}$, $\frac{1}{u}$ are in A.P.

x, y, z, u are in H.P.

86. (b) Given: |z| - z = 1 + 2iIf z = x + iy, then this equation reduces to

$$|x \ iy| \ (x \ iy) \ 1 \ 2i$$

$$(\sqrt{x^2 \ y^2} \ x) \ (iy) \ 1 \ 2i$$

On comparing real and imaginary parts of both sides of this equation, we get

$$\sqrt{x^2 \ y^2} \ x \ 1$$

$$\sqrt{x^2 \ y^2} \ 1 \ x \ x^2 \ y^2 \ (1 \ x)^2$$

$$x^2 \ y^2 \ 1 \ x^2 \ 2x$$

$$y^2 \ 1 \ 2x \ ...(i)$$
and $-y = 2$

$$y \ 2$$

Putting this value in eq. (i), we get

$$(2)^2$$
 1 2x

$$2x \quad 3 \quad x \quad \frac{3}{2}$$

$$z \times iy = \frac{3}{2} + 2i$$

87. (c)
$$z = \frac{1 i\sqrt{3}}{1 i\sqrt{3}}$$

$$z = \frac{1}{1} \frac{i\sqrt{3}}{i\sqrt{3}} = \frac{1}{1-i\sqrt{3}}$$

$$z = \frac{1}{1} \frac{3}{3} \frac{3^{i}}{3} = \frac{2}{3^{i}} \frac{2\sqrt{3}i}{4}$$

$$z \qquad \frac{1}{2} \quad \frac{\sqrt{3}}{2}i$$

z cos240 isin240

Thus, arg $(z) = 240^{\circ}$

88. (d)
$$f(x) = \sqrt{\log 10x^2}$$
 is real, if $\log_{10} x^2 = 0$

1and x 1

89. (c) The given expression is $2x^2$ mxy $3y^2$ 5y 2

Comparing the given expression with

$$ax^2$$
 2hxy by^2 2gx 2fy c, we get

$$a = 2, h = \frac{m}{2}, b = 3, c = 2, g = 0, f = \frac{5}{2}$$

The given expression is resolvable into linear factors, if

$$abc \ 2fgh \ af^2 \ bg^2 \ ch^2 \ 0$$

$$(2)(3)(2)$$
 $2(0)$ $2 \frac{25}{4}$ $0 (2) \frac{m^2}{4}$ 0

12
$$\frac{25}{2}$$
 $\frac{m^2}{2}$ 0

$$\frac{m^2}{2}$$
 $\frac{49}{2}$ m^2 49 m 5

90. (c) $\det(B-1AB)$ $\det(B 1)\det A\det B$

 $\det B$ 1) $\det B \det A$

(B1B) det A det I. det A

= 1, det A = det A91. (c) Since f(x), g(x) and h(x) are the polynomials of degree 2,

therefore f'''(x) g'''(x) h'''(x) 0

Now,
$$(x)$$

$$\begin{vmatrix} f(x) & g(x) & h(x) \\ f'(x) & g'(x) & h'(x) \\ f''(x) & g''(x) & h''(x) \end{vmatrix}$$

$$|f'(x) - g'(x) - h'(x)| |f'(x) - g'(x) - h'(x)| |f''(x) - g''(x) - h''(x)|$$

$$(x)$$
 0 0 0 0

constant. (x)

Thus, (x) is the polynomial of degree zero.

92. (d) Let E 1, E2 and E3 denote the events of selecting boxes A, B, C respectively and A be the event that a screw selected at random is defective. Then.

is defective. Then,

$$P(E1) = \frac{1}{3}$$
, $P(E_2) = \frac{1}{3}$, $P(E3) = \frac{1}{3}$

$$P = \frac{A}{E_1} = \frac{1}{5}, P = \frac{A}{E_2} = \frac{1}{6}, P = \frac{A}{E_3} = \frac{1}{7}$$

By Baye's rule, the required probability

$$P \stackrel{E_1}{=} A = \frac{P(E1)P \stackrel{A}{=}_1}{P(E1)P \stackrel{A}{=}_1} = P(E2)P \stackrel{A}{=}_2} = P(E3)P \stackrel{A}{=}_3}$$

$$1 \quad 1$$

93. (c)
$$\frac{\cos}{1 \sin} = \frac{\sin \frac{\pi}{2}}{1 \cos \frac{\pi}{2}}$$

$$\frac{2\sin \frac{1}{4} + \frac{1}{2} \cos \frac{1}{4} + \frac{1}{2}}{2\cos 2 + \frac{1}{4} + \frac{1}{2}}$$

$$\frac{\sin \frac{\pi}{4} - \frac{\pi}{2}}{\cos \frac{\pi}{4} - \frac{\pi}{2}} \tan \frac{\pi}{4} = \frac{1}{2}$$

94. (b) 3sin 5cos 5 3sin 5(1 cos)

$$3.2\sin{-\cos{-}\over{2}}$$
 $5.2\sin{2-}\over{2}$

$$\begin{array}{ccc}
\sin & 2\sin - \cos - 2 \\
2 & 2
\end{array}$$
and 1 cos $2\sin 2 - 2 \\
2 & 2$

tan 3
2 5
Now, 5 sin - 3 cos

$$5.\frac{2 tan \frac{}{2}}{1} \quad 3.\frac{1}{tan2} \quad \frac{tan2}{2}$$

$$5.\frac{2.\frac{3}{5}}{1.25} \quad 3.\frac{1.\frac{9}{25}}{1.\frac{9}{25}}$$

$$\frac{6 \ \ 3.\frac{16}{25}}{1 \ \ \frac{9}{25}} \ \ \frac{150 \ \ 48}{34} \ \ \frac{102}{34} \ \ 3.$$

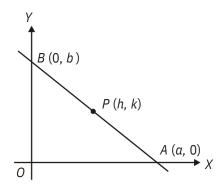
95. (a) $\sin^{-1} \sin \frac{1}{6} - \sin^{-1} \sin \frac{1}{6}$ [$\sin($) \sin]

[Principal value [0, /2]]

6

which is the required principal value.

96. (a) Let both of the ends of the rod are on x-axis and y-axis. Let AB be rod of length l and coordinates of A and B be $(\alpha, 0)$ and (0, b), respectively.



Let PK(, k) be the mid point of the rod AB.

...(i)

Then,
$$h = \frac{0}{2} = \frac{a}{2}$$

$$k = \frac{b}{2} = \frac{0}{b}$$

In OAB,
OA2 OB2 AB2 2
a2 b2 l2

$$(2h)_2$$
 $(2k)^2$ l^2 [using eq. (i)]
 h^2 k^2 l^2

The equation of locus is

$$x^2$$
 y^2 $\frac{l^2}{4}$

97. (a) Let
$$L_1$$
 2 y 1 0 L_2 2 2y 5 0

The equation of straight line passing through the intersection point of the lines L1 and L2 is given by

$$(2x \ y \ 1)$$
 $(3x \ 2y \ 5)$ 0
Since, this line passes through the origin also

Required line is

$$(2x \quad y \quad 1) \quad \frac{1}{5}(3x \quad 2y \quad 5) \quad 0$$

$$2 \quad \frac{3}{5} \quad x \quad 1 \quad \frac{2}{5} \quad y \quad 1 \quad 1 \quad 0$$

$$\frac{7}{5}x \quad \frac{3}{5}y \quad 0 \quad 7x \quad 3y \quad 0$$

98. (c) Let coordinates of P be (h, k), then

$$h = \frac{2(10\cos)}{2} \frac{3(5)}{3} = 4\cos 3$$
and
$$k = \frac{2(10\sin)}{2} \frac{3(0)}{3} = 4\sin 3$$

[Using the internal section formula]

$$\frac{h-3}{4}$$
 cos and $\frac{k}{4}$ sin

Squaring and adding both of these equations,

$$\frac{(h \ 3)^2}{16} \frac{k^2}{16} \cos 2 \sin 2$$

$$(h \ 3)2 \ k^2 \ 16$$

Therefore, locus of point P is

(x 3)2 y2 16 which is a circle.

99. (c) The equation of any normal to the parabola

$$y2$$
 8x is $y = mx + 4m + 2m3$...(i)

(using equation of normal of parabola in slope form y = mx - 2am - am3 and a = -2) The given normal is

$$2x \ y \ k \ 0$$
 $2x \ k$...(ii)
Comparing eqs. (i) and (ii), we get $m = -2$ and $-4m - 2m3 = k$ $k = 8 + 16 = 24$

100. (a)
$$\lim_{n} 1^{1}2 \quad \frac{1}{23} \quad \frac{1}{34} \quad \cdots \quad \frac{1}{n(n-1)}$$

$$\lim_{n} 1 \frac{1}{2} \frac{1}{2} \frac{1}{3} \frac{1}{3} \frac{1}{4} \dots \dots \frac{1}{n} \frac{1}{n 1}$$

$$\lim_{n} 1 \quad \lim_{n} \frac{n}{n \cdot 1} \quad \lim_{n} \frac{n}{n \cdot 1}$$

$$\lim_{n} \frac{n}{n \cdot 1 \cdot \frac{1}{n}} \quad \lim_{n} \frac{1}{1 \cdot \frac{1}{n}} \quad 1$$

101. (d) Let P(x1, y1) be a point on the curve

$$y^2$$
 4ax ...(i)

On differentiating $y^2 = 4\alpha x$ w.r.t. x', we get

$$\frac{d}{y} \Big|_{(x_1, y_1)} \frac{2a}{y_1}$$

Thus, the equation of normal at (x_1, y_1) is

$$y \quad y_1 \quad -\frac{y_1}{2^{\alpha}}(x \quad x_1)$$

$$y1x \ 2ay \ y1(x1 \ 2a)$$
 ...(ii)
 $x^{1}/x + my = 1$...(iii)

But lx + my = 1

is also a normal.

Therefore, coefficients of eqs. (ii) and (iii), must be proportional.

i.e.,
$$\frac{y^1}{l} = \frac{2a}{m} = \frac{y1(x1 + 2a)}{1}$$

$$y_1 = \frac{2\alpha l}{m}$$
 and $x_1 = \frac{1}{l} = 2\alpha$

Putting these values of x1 and y1 in eq. (i), we get

$$\frac{2al}{m}^2$$
 $4a \frac{1}{l} 2a$

$$\frac{4a^{\frac{3}{l}}^2}{m^2} \quad \frac{4a \quad 82al}{l}$$

$$al3 \quad m^2 \quad 2am \quad 2l \quad al3 \quad 2alm \quad 2 \quad m^2$$

102. (a) f(x)dx f(x)

$$\frac{d}{dx}f(x) \quad f(x)$$

$$f(x)$$
 $\frac{d}{dx} f(x)dx$

Now, $\{f(x)\}2 dx$ f(x) f(x)dx

$$f(x) f(x)dx$$
 $\frac{d}{dx}f(x) f(x)dx dx$

(integrating by parts)

$$2 \{ f(x) \} 2 dx \{ f(x) \} 2$$

$$\{f(x)\}2dx = \frac{1}{2}\{f(x)\}2$$

103. (a) Let
$$I = \sin^{-1} \frac{2x - 2}{\sqrt{4x^2 + 8x + 13}} dx$$

$$I = \sin^{-1} \frac{2x - 2}{\sqrt{4x^2 + 8x + 4 + 9}} dx$$

$$I = \sin^{-1} \frac{2x - 2}{\sqrt{(2x - 2)2 - 3^2}} dx$$

Substituting $2x + 2 = 3 \tan x$

2dx 3sec2 d , we get

$$I = \sin^{-1} \frac{3 \tan}{n} = \frac{3}{2} \sec 2 d$$

$$I \quad \frac{3}{2} \quad \frac{3 \text{se}}{\sin^{1}(\sin \) \sec 2} \quad d$$

$$I = \frac{3}{2}$$
 sec2 d

$$\frac{3}{I}$$
 tan tan d

(integrating by parts)

$$I = \frac{3}{2}[\tan \log|\sec|] c$$

$$\frac{3}{2} \tan^{1} \frac{2x}{3} \frac{2}{3}$$

$$\log \sqrt{1 - \frac{2x - 2}{3}} \quad c$$

$$(x \ 1) \tan^{1} \frac{2x \ 2}{3}$$

$$\frac{3}{4}\log \frac{4x^2 \ 8x \ 13}{9}$$
 c

104. (c) The equation of ellipse is

$$3x^2$$
 $2y^2$ $6x$ $8y$ 5 0
 $3(x^2$ $2x)$ $2(y^2$ $4y)$ 5 0
 $3(x^2$ $2x$ $1)$ $2(y^2$ $4y$ $4)$

5 3 8 0

$$3(x \ 1)2 \ 2(y \ 2)2 \ 6$$

$$\frac{(x-1)2}{2}$$
 $\frac{(y-2)2}{3}$ 1

Comparing with

$$\frac{(x + h)^2}{a^2} = \frac{(y + k)^2}{b^2} = 1$$
, we get
 $h = -1$, $k = 2$, $a^2 = 2$, $b^2 = 3$
Here, centre $(h, k) = (-1, 2)$
And using $a^2 = b^2 (1 - e^2)$

2 3(1
$$e^2$$
) $e^{-\frac{1}{\sqrt{3}}}$

And foci are (h, k + be) and (h, k - be) = (-1, 2 + 1) and (-1, 2 - 1) = (-1, 3) and (-1, 1)

105. (b)We have the two hyperbolas as

$$\frac{x_2^2}{a} \frac{y^2}{b^2}$$
 1

...(i)

and
$$\frac{y^2}{a^2} \frac{x^2}{b^2}$$
 1

...(ii)

Any tangent to the hyperbola eq(i) y = mx + c

where
$$c = \sqrt{\alpha m^2 - b \dots (fii)}$$

But this tangent touches the parabola eq. (ii) also

$$\frac{(mx\ c)^{-2}}{a^2} - \frac{x^2}{b^2}$$
 1

$$2b(\frac{m^{22}}{m^2} \quad c^2 \quad 2mcx) - a^2x^2 \quad a^2b^2$$

$$(b^2m^2 \quad a^2x^2 \quad 2^{mcb^2x} \quad b^2(c^2 \quad a^2) \quad 0$$

For the tangency, it should have equal roots

$$(2mcb^2)^2$$
 4($b t^2 a^2$). $b^2(c^2 a^2)$

$$4m2c2b4$$
 $4b^{2}(b2m^{2}c$ $b2m2a2$ 2 $a^{4})$

$$c^2$$
 a^2 b^2 m

$$a2m2$$
 b^2 a^2 $b2m2$ [using Eq. (iii)]

$$(a^2 \quad b^2)m^2 \quad a^2 \quad b^2$$

Hence, the equation of common tangent are

$$y \quad x \quad \sqrt{a^2 \quad b^2}$$

106. (d)We have

$$f(x)$$
 log $x \cos x$
 $f(x)$ is defined for $\cos x > 0$.
 $x > 0, x = 1$

$$\cos x > 0 \qquad \frac{}{2} \quad x \quad \frac{}{2}$$
Also, x > 0, x 1

Domain of
$$f$$
 is 0, $\frac{1}{2}$ {1}

107. (b)
$$y \sin^{-1} \frac{x^2}{1 + x^2}$$

For y to be defined
$$\frac{x^2}{1-x^2} = 1$$

which is true for all X = R.

Now,
$$y = \sin 1 \frac{2}{1 x^2}$$

$$\frac{x^2}{1 \quad x^2} \quad \sin y \quad x \quad \sqrt{\frac{\sin y}{1 \quad \sin y}}$$

For the existance of x

siny
$$0$$
 and $1 - \sin y > 0$

0
$$\sin y$$
 1 0 $y - \frac{1}{2}$

Thus, range of the given function is

$$0, \frac{1}{2}$$
.

108. (c) x sec cos

$$\frac{dx}{d}$$
 sec tan sin ,

v secn cosn

$$\frac{dy}{d}$$
 $n \sec n^1$ $\sec \tan n \cos n^1$ $\sin n$

$$\frac{dy}{dx} \quad n \frac{(\sec n \ \tan \ \cos n \ 1 \ \sin)}{(\sec \ \tan \ \sin)}$$

$$\frac{dy}{dx}$$
 $n\frac{(\sec n - \cos n)\tan}{(\sec - \cos)\tan}$

$$\frac{d}{y} = \frac{n(\sec n - \cos n)}{(\sec \cos 0)}$$

$$\frac{d}{x} \frac{d}{y} = \frac{n \{(\sec n - \cos n) \ge 4\}}{(\sec - \cos 0) \ge 4}$$

$$\frac{d}{y} \frac{d}{y} = \frac{n^2 (y^2 - 4)}{x^2 - 4}$$

$$\frac{d}{d} (x^2 - 4) \frac{dy}{dx} = n^2 (y^2 - 4)$$

109. (d)
$$y = \sqrt{x} = \sqrt{y} = \sqrt{x} = \sqrt{y} = \sqrt{x}$$

 $y^2 = x = \sqrt{y} = \sqrt{x} = \sqrt{y} = \sqrt{2y}$
 $(y^2 = x)^2 = 2y$

On differentiating both sides w.r.t. x, we get

$$2(y^{2} \quad x) \quad 2y \frac{dy}{dx} \quad 1 \quad 2\frac{d}{y}$$

$$2(y^{3} \quad xy) \frac{dy}{dx} \quad (y^{2} \quad x) \quad \frac{d}{y}$$

$$(2y^{3} \quad 2xy \quad 1)\frac{d}{y} \quad y^{2} \quad x_{x}$$

$$\frac{d}{y} \quad \frac{y^{2} \quad x_{x}}{2y^{3} \quad 2xy \quad 1}$$

$$\frac{d}{x} \quad \frac{x}{|t|\sqrt{t^{2} \quad 1}} \quad \frac{d}{6}$$
110. (a)

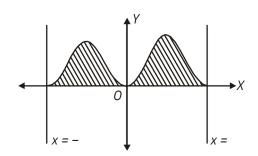
$$[\sec^{1}t]_{1}^{X}$$
 $\frac{}{6}$

$$\sec^1 x \sec 11 \frac{}{6}$$

$$\sec^{1} x = 0 \quad \frac{}{6} \quad x \quad \sec \frac{}{6}$$

$$x = \frac{2}{\sqrt{3}}$$

111. (c) Required area = Shaded area



 $|\sin x| dx$ 2 $|\sin x| dx$

 $2[\cos x]_0$ 2(cos cos 0) = 4 sq units

112. (d) Length of normal = c

$$y\sqrt{1} \quad \frac{d}{y}^{2} \quad c$$

$$d$$

$$y^{2} \quad 1 \quad \frac{xd}{y}^{2} \quad c^{2}$$

Clearly, this is the differential equation of degree 2. $^{\it X}$

113. (d)
$$a = 2i = 2j^{\hat{}} = 3k^{\hat{}}$$

 $b = \hat{} = 2j^{\hat{}} = k^{\hat{}}$
 $c = 3i^{\hat{}} = j^{\hat{}}$
Now_i $a = tb = (2\hat{i} = 2\hat{j} = 3k^{\hat{}}) (= t\hat{i} = 2 = t\hat{k})$
 $(2 = t)^{\hat{}} = (2 = 2t)^{\hat{}} = (3 = t\hat{k})\hat{k}$

Since, a tb is perpendicular to c

$$r = 2i^2 + 2j^2 + 3k^2 + (i^2 + j^2 + 4k^2)$$

On comparing it with r a tb, we get

$$\alpha$$
 2*i* 2*j* 3*k*, *b i j* 4*k* Also, the plane is $r(i^5, 5j^6, k^6)$

On comparing it with rn d, we get

$$n$$
 i° 5 j° k° and $d=5$

Since, bn
$$(i^{\hat{}} j^{\hat{}} 4k^{\hat{}})(i^{\hat{}} 5j^{\hat{}} k^{\hat{}})$$

= 1 - 5 + 4 = 0

Given line is parallel to the given plane. Now, distance between the line and the plane is given by required distance

$$\left|\frac{a \ n \ d}{\mid n \mid}\right|$$

$$\frac{\mid (2i^{\hat{}} \ 2j^{\hat{}} \ 3k^{\hat{}})\,(i^{\hat{}} \ 5j^{\hat{}} \ k^{\hat{}})\,\,_{5}\mid}{\sqrt{1}\ 25\ 1}$$

$$\frac{|2\ 10\ 3\ 5|}{\sqrt{27}} \quad \frac{10}{3\sqrt{3}}$$

115. (a) The equation of the sphere concentric with the sphere

$$x2$$
 $y2$ $z2$ $4x$ $6y$ $8z$ 5 0 is

$$x2$$
 $y2$ $z2$ $4x$ $6y$ $8z$ c 0 ...(i)

Since, this sphere eq. (i) passes through origin, therefore

$$0+0+0-0-0-0+c=0$$

Hence, the required equation of sphere is

116. (b)We have the lines

and
$$\frac{x-3}{1}$$
 $\frac{y-k}{2}$ $\frac{z}{1}$...(ii)

Let a point (2r 1,3r 1,4r) 1) be on the line Eq. (i). If this is an intersection point of both the lines, then it will lie on Eq. (ii), also

$$\frac{2r + 1 + 3}{1} = \frac{3r + 1 + k}{2} = \frac{4r + 1}{1} = \dots$$
(iii)

Taking first and third part of eq. (iii), we get 2r - 2 = 4r + 1

$$r = \frac{3}{2}$$

Taking second and third part of eq. (iii), we get

get
$$3r - 1 - k = 8r + 2$$

$$k = 5 + \frac{3}{2} + 3 + r + \frac{3}{2}$$

$$k = \frac{15}{2} \quad 3 \quad k = \frac{9}{2}$$

117. (a) Given curves are y = 3x ...(i)

and
$$y = 5x$$
 ...(ii)

intersect at the point (0, 1).

Now, differentiating eqs. (i) and (ii) w.r.t. x, we get

Angle between these curves is given by

$$\tan \quad \frac{m_1 \quad m_2}{1 \quad m_1 m_2}$$

$$tan \qquad \frac{log3 \quad log5}{1 \quad log3 \ log5}$$

$$\tan^{1} \frac{\log 3 \log 5}{1 \log 3 \log 5}$$

118. (d)We have the given equation as

$$x^2$$
 4xy y^2 x 3y 2 0

On comparing this equation with

$$ax2$$
 $2hxy$ $by2$ $2gx$ $2fy$ c 0 , we get

$$a$$
 , h 2, b 1, g 2, f 2, c 2

Since, given equation represents a parabola h2 ab 4 1 4

119. (c) The given two circles are

$$2x^2 2y^2 3x 6y k 0$$

$$x^2$$
 y^2 $\frac{3}{2}x$ $3y$ $\frac{k}{2}$ 0 ...(i)

and x2 y2 4x 10y 16 0 ...(ii)

Since, general equation of circle is

 $x \hat{y} 2gx^2 2fy c 0$...(iii) Therefore, comparing eqs. (ii) and (ii) with

eq. (iii), we get

$$g_1$$
 $\begin{cases} 3, f_1 & 3, c_1 & k \\ 2, c_1 & 2 \end{cases}$

and g^2 2, f^2 5, g^2 16 Both the circles cut orthogonally,

2(g1g2 f1 f2) c1 c2

18
$$\frac{k}{2}$$
 16 $\frac{k}{2}$ 2 k 4

120. (a) A(-2, 1), B(2, 3) and C(-2, -4) are three given points.

Slope of the line BA

$$m1 \frac{1}{2} \frac{3}{2} \frac{1}{2}$$

Using slope formula, $m = \frac{y_2 - y_1}{x_2 - x_1}$

Slope of the line BC

$$m2 \quad \frac{4}{2} \quad \frac{3}{2} \quad \frac{7}{4}$$

Now, angle between AB and BC is given by

$$\tan \quad \frac{\left| \frac{m_1}{1} \right| \frac{m_2}{m}}{1 \quad m} = \frac{\frac{1}{2} \quad \frac{7}{4}}{1 \quad \frac{1}{2} \quad \frac{7}{4}}$$

$$\tan \left| \frac{1}{0} \right| \quad \tan \left| \frac{2}{3} \right|$$

$$\tan^{1} \left| \frac{1}{5} \frac{2}{3} \right| \quad \tan^{1} \frac{2}{3}$$

$$\left[\left| x \right| x \right]$$